

Distributed Learning - Model Parallelization

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The Course Web Page

https://fid3024.github.io





- ► Train large deep learning models with huge amounts of training data.
- Parallelization and distribution are essential.



Popular Parallelization Methods



[Dean et al., Large Scale Distributed Deep Networks, 2012]



Model Parallelization



► The model is split across multiple devices.







Model Parallelization

- ► The model is split across multiple devices.
- Depends on the architecture of the NN.







NP-Completeness



[Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017]



Partitioning Approaches



[Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017]



Model Parallelization - Hash Partitioning

Randomly assign vertices to devices proportionally to the capacity of the devices by using a hash function.



[Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017]



Model Parallelization - Critical Path

- ► Assigning the complete critical path to the fastest device.
- Critical path: the path with the longest computation time from source to sink vertex.



[Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017]



Model Parallelization - Multi-Objective Heuristics

▶ Different objectives, e.g., memory, importance, traffic, and execution time



[Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017]



ML for Model Parallelization









- $\blacktriangleright J(\mathtt{w}) = \mathbb{E}_{\mathcal{P} \sim \pi(\mathcal{P}|\mathcal{G}, \mathtt{w})}[\mathtt{R}(\mathcal{P})|\mathcal{G}]$
- ► Objective: arg min_w J(w)



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- $\pi(\mathcal{P}|\mathcal{G}, \mathbf{w})$: the RL policy (device placement policy)







Solution 1

Mirhoseini et al., Device Placement Optimization with Reinforcement Learning, 2017 Mirhoseini et al., A Hierarchical Model for Device Placement, 2018



Device Placement Policy





Device Placement Policy





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- ► RNN Encoder receives sequence of embedding for each operation.
- ► RNN Decoder predicts a device placement for each operation.





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- ► The size of each operation's list of output tensors (the output shape).





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- Type of the operations, e.g., MatMul or conv2d.
- ► The size of each operation's list of output tensors (the output shape).
- The one-hot encoding vector that represents the operations that are direct inputs and outputs to each operation.





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- ▶ The number of the steps is equal to the number of operations in a graph G.
- At each step, the decoder outputs the device for the operation.




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- Estimate B: a baseline term to reduce the variance of the policy gradient.



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- ► Seq-to-seq models cannot be unrolled for more than few hundred steps.
- ► Most TensorFlow graphs contain tens of thousands of operations.
- Manual grouping of operations hampers scalability.







An End-to-End Hierarchical Placement Model

- Grouping operations.
- ▶ Prediction is for group placement, not for a single operation.





- $\blacktriangleright J(w_g, w_d) = \mathbb{E}_{\mathcal{P}(d, w_g, w_d)}[R_d] = \sum_{g \sim \pi_g} \sum_{d \sim \pi_d} p(g, w_g) p(d|g, w_g) R_d$
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- w_d : parameters of the placer



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- ▶ p(g, w_g): the probability of a sample group assignment g drawn from the Grouper softmax distribution π_g.



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- ▶ p(g, w_g): the probability of a sample group assignment g drawn from the Grouper softmax distribution π_g.
- ▶ p(d|g, w_g): the probability of a sample device placement d drawn from the Placer softmax distribution π_d.



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A Few Words About Graph Embedding

The slides of this part were derived from Jure Leskovec's slides - Stanford University



Feature Learning in Graphs





► The goal is to map each node into a low-dimensional space.





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 - Representation for nodes.





Why Learn Embedding?

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► The goal is to map each node into a low-dimensional space.

- Representation for nodes.
- Similarity between nodes indicates link strength.
- Encodes network information and generate node representation.







[Perozzi et al., DeepWalk: Online Learning of Social Representations, 2014]



Idea: Convolutional Networks

- ► Goal is to generalize convolutions beyond simple lattices.
- Leverage node features/attributes (e.g., text, images).





From Images to Networks

► Transform information at the neighbors and combine it:

- Transform messages $\mathtt{h_i}$ from neighbors: $\mathtt{w_ih_i}$
- Add them up: $\sum_{i} w_{i}h_{i}$





But what if your graphs look like this?





► GraphSAGE aggregates neighbouring node embeddings for a given node.





GraphSAGE (1/3)

- ► GraphSAGE aggregates neighbouring node embeddings for a given node.
- The output of one round of GraphSAGE: new node representation for every node in the graph.





GraphSAGE (2/3)



[https://mc.ai/ohmygraphs-graphsage-and-inductive-representation-learning-2]



GraphSAGE (3/3)

$$\blacktriangleright h_{\mathcal{N}(\mathbf{v})}^{1} = \max(\mathtt{f}_{\mathtt{a}}^{\mathtt{i}}(\mathtt{h}_{\mathtt{u}}^{1}), \forall \mathtt{u} \in \mathcal{N}(\mathbf{v}))$$




- $\blacktriangleright h^{1}_{\mathcal{N}(v)} = \max(\texttt{f}^{\texttt{i}}_{\texttt{a}}(\texttt{h}^{1}_{\texttt{u}}), \forall \texttt{u} \in \mathcal{N}(v))$
- $\blacktriangleright h_v^{l+1} = f_b^{l+1}(\texttt{concat}(h_v^l, h_{\mathcal{N}(v)}^l))$





- $\blacktriangleright h^{\texttt{l}}_{\mathcal{N}(\texttt{v})} = \texttt{max}(\texttt{f}^{\texttt{i}}_{\texttt{a}}(\texttt{h}^{\texttt{l}}_{\texttt{u}}), \forall \texttt{u} \in \mathcal{N}(\texttt{v}))$
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- f_a and f_b : dense layers
- $\mathcal{N}(v)$: the neighbors of v
- ▶ $h_{\mathcal{N}(v)}$: the aggregated feature from the neighbors of v





Nodes with the same neighborhoods have the similar embeddings, regardless of their location in the graph?



[You et al., Position-aware Graph Neural Networks, 2019]



Position-aware Graph Neural Networks

• By adding anchor sets - we bypass that problem.



[Figure by Milko Mitropolitsky]



Solution 2

Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019







Placeto System Overview

- Graph embedding
- Placement policy network



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



MDP Formulation (1/2)

- ► Model the device placement as Markov Decision Process (MDP).
- ▶ Initial state s_0 , consists of G with an arbitrary device placement for each node group.



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



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- ▶ Initial state s_0 , consists of G with an arbitrary device placement for each node group.
- Action in step t outputs a new placement for the tth node in \mathcal{G} based on s_{t-1} .
- Episode ends in |V| steps (V: set of nodes in \mathcal{G}).



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



MDP Formulation (2/2)

• Two approaches for assigning rewards.



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- Approach 1: assign 0 reward at each intermediate RL step and the negative run time of the final replacement as final reward.
- Approach 2: assign intermediate rewards $r_t = R(\mathcal{P}_{s_{t+1}}) R(\mathcal{P}_{s_t})$



Computing per-group attributes (a)







Graph Embedding

- Computing per-group attributes (a)
- Local neighborhood summarization (b)



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



Graph Embedding

- Computing per-group attributes (a)
- Local neighborhood summarization (b)
- Pooling summaries (c)



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



Placement Policy Network

- ► Implements the MDP policy using a three-layer fully connected neural network.
- ► Trains it using the REINFORCE policy-gradient algorithm.



[Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019]



Graph Representation Matters in Device Placement (1/2)



[Mitropolitsky et al., Graph Representation Matters in Device Placement, 2020]

KTH vetenskap

Graph Representation Matters in Device Placement (2/2)



[Mitropolitsky et al., Graph Representation Matters in Device Placement, 2020]



Solution 3

Zhou et al., A Single-Shot Generalized Device Placement for Large Dataflow Graphs, 2020





Device Placement Policy





► Uses a deep RL approach with graph embeddings and a Transformer.



N: number of nodes, h: hidden Size, d: number of devices

[Zhou et al., GDP: Generalized Device Placement for Dataflow Graphs, 2019]



GDP System Overview

- ► Uses a deep RL approach with graph embeddings and a Transformer.
- Generalize to unseen graphs.



N: number of nodes, h: hidden Size, d: number of devices

[Zhou et al., GDP: Generalized Device Placement for Dataflow Graphs, 2019]



GDP System Overview

- ► Uses a deep RL approach with graph embeddings and a Transformer.
- Generalize to unseen graphs.
- Generates placement for the whole graph in one step, reducing training time.



N: number of nodes, h: hidden Size, d: number of devices

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- Conventional seq-to-seq models usually target short sequences, which requires grouping beforehand.
- LSTM used in previous works is slower and more difficult to train than attention-based models.
- GDP adopts segment-level recurrence introduced in Transformer-XL to capture longterm dependencies.
- The key is to cache (with gradient flows disabled) and reuse the hidden states of previous segments.





Figure 1: Illustration of the vanilla model with a segment length 4.











[Z. Dai et al., Transformer-XL: Attentive Language Models Beyond a Fixed-Length Context, 2019]



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- ► In GDP, the RL objective is defined to simultaneously reduce the expected runtime of the placements over a set of N dataflow graphs.
- $\blacktriangleright J(w) = \mathbb{E}_{G \sim \mathcal{G}, \mathcal{P} \sim \pi(\mathcal{P}|G, w)}[R(\mathcal{P})|G] = \frac{1}{N} \sum_{G} \mathbb{E}_{\mathcal{P} \sim \pi(\mathcal{P}|G, w)}[R(\mathcal{P})|G]$


Summary





- Model parallelization and device placement
- Hierarchical device placement
- Placeto
- ► GDP



- ▶ Mayer, R. et al., The TensorFlow Partitioning and Scheduling Problem, 2017
- ▶ Mirhoseini et al., Device Placement Optimization with Reinforcement Learning, 2017
- ▶ Mirhoseini et al., A Hierarchical Model for Device Placement, 2018
- Addanki, et al., Placeto: Learning Generalizable Device Placement Algorithms for Distributed Machine Learning, 2019
- ► Zhou et al., GDP: Generalized Device Placement for Dataflow Graphs, 2019



Questions?